

PARAMETRIC ANALYSIS, DESIGN, EVALUATION AND OPTIMIZATION OF FLAT SLABS AND CONVENTIONAL STRUCTURE

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Abstract

In current century, many construction projects all over the world are going through financial crises because of high financial budgets. To economize the structure, structural optimization techniques should be used. For large projects it is necessary to go for structural optimization because it directly affects cost of construction. In this present study G+15 structures is considered and has been analysed using ETABS considering various parameters such as grade of concrete (M25, M30, M35, M40), depth of beams (300x400mm, 300x450mm, 300x500, 300x550mm), depth of slabs (150mm, 175mm, 200mm, 225mm), column size (600x700mm, 600x800mm, 600x900mm, 600x1000mm) and Flat slabs of depth (150mm, 175mm, 200mm, 225mm). The cost of the structure is calculated for each of the model. And then it is compared with the other models. The data is incorporated to MATLAB and the polynomial equation is obtained for all the models. The optimum structure elements are then chosen and the cost of the structure is optimized. Based on the study for column 600x700 mm, beam 300x550 mm, conventional slab of 150 mm, grade of concrete is M25. The cost of the structure Rs 32,22,707 which is less than all other combination. Based on the study of optimization of flat slab, column size 600 X 700 mm, beam 300 X 550 mm, slab of 150 mm and grade of concrete M35. The cost of the structure is Rs 40,97,551 and these are optimized structure combination.

Keywords: Optimization, ETABS, MATLAB, SAFE, Flat-slab, Conventional slab.

1. INTRODUCTION

The origin of optimization technique can be followed since 300 BC and from Cauchy and Newton Lagrange. The advancement of the differential strategies for optimization was conceivable in light of the contribution of Leibnitz and Newton. The base of the calculus varieties were laid by Euler, Weierstrasse, Bernoulli and Lagrange. Optimization is a process of maximizing or minimizing of one or more functions with any possible boundary conditions to obtain effective result.

Civil Engineering is the professional engineering discipline that deals with the design, construction, and maintenance of the physical and naturally built environment. It can be classified as Structural, Water Resources, Transportation and Environmental Engineering as the specialized branches. In all these fields the optimization methods can be applied and are to be taken by designer in each and every step to obtain the cost effective solution in available resources to fulfil the comfort of society is the very purpose of optimization.

Previously Linear, Non- Linear and Dynamic programming methods were used along with their conventional design

methods but nowadays the evolutionary optimization methods like Genetic Algorithm, Differential Evolution, Particle Swarm Optimization methods can be used.

Some of these optimization methods are inspired from nature and some by natural processes. Selection of appropriate methods for solving any Civil Engineering problem depends upon the nature of objective function and constraints. Variables can be in continuous or discrete in nature and objective function can be linear or non-linear. They can further be classified as single objective or multi-objective problems.

2. LITERATURE REVIEW

Dhananjay D. Joshi et al have discussed in this paper that they had exhibit the utilization of flat plate/slab development in India. They utilized both Indian Standard 456:2000 and American Concrete Institute ACI-312 codes for similar description of flat slab/plate structure outlines. They demonstrated that the utilization of flat slab in office structures gives many points of interest like reduced formwork cost, quick removal and simple establishment. At last they reason that the flat slab/plate can be composed and fabricated either by regular RCC or post-tensioning, yet

because of a few issues with development in India and its higher cost, ordinary RCC should be preferred decision for spans upto 10 meters. [1]

S. Bari et al have discussed in this paper according to BNBC/ACI Code the ratio of longitudinal steel area to gross concrete section is in the range from 0.01 to 0.08. The common practice is to choose an arbitrary section and check for bending and axial load with a reinforcement ratio of 2-3%. For particular moment and load there is only one section is economical and reinforcement of the section will be optimized. Since the cost of concrete and reinforcement may vary independently, the percentage of reinforcement in the optimized section varies with the price ratio of steel to concrete. Analyzing the present cost ratio of steel and concrete shows column section is optimized at 1 % of reinforcement for low-rise to medium rise building. Use of high strength concrete in the column has an effect of minimizing the cost. Using 5000 psi concrete instead of 3000 psi concrete saves 20-50% of total cost. For same axial load and moment resisting capacity, a circular column is found to be more costly than a square column. Also, the cost differences between circular and square column increase with the increase in gross area of concrete.[2]

Subodh C. Sharma et al had discussed the optimization of the supports in a rectangular section panel with certain limited edge conditions. In this paper the optimization is proceeded for all arbitrary edge conditions. Each corner panel of slab-spandrel system is developed and optimization of reinforcement is carried out. The expressions of the optimal orthography ratios for the slab panel and also for the section spandrel framework in light of computer analysis are displayed. They have concluded that for a set of values of the edge restraint parameters. The orthography ratio with regard to the positive reinforcement emerges as the main design variable for the optimization of the panel reinforcement. The optimization of the system reinforcement the spandrel beams may have the minimum torsional reinforcement consistent with adequate ductility. [3]

D.C. Charmpis et al had discussed that progressive collapse scenario is the most important factor to be considered because the term progressive collapse refers to large scale damage as a reactions as a result of chain reactions failure. Three scenarios are discussed by artificially removing column-members from the structural system. The results

obtained demonstrate the effectiveness of the proposed optimization approach. Of particular importance is the investigation of the variation in the structural cost achieved when collapse resistance constraints are incorporated in the design process. They have concluded this work provided a first look at of the integration of this tool to the design procedures that for composite buildings, showing this way its potentials and weaknesses. The grouping of the columns which was used here was found to provide more cost effective designs than using the same section for all, keeping the required computational time within acceptable limits.[4]

3. METHODOLOGY

- a) To study the existing literature on parametric analysis, design, evaluation and optimization of column, beam, conventional slab and flat slab structure.
- b) To identify the parameters which influence the optimization of structure are beam size, grade of structural elements, column size and depth of the conventional slab and flat slab.
- c) Static analysis is performed by using E-TABS software for (G+15) storey building of grid system, where the span and size of the grid system is same for all the models. Minimum section sizes and minimum reinforcement will be obtained from the analysis.
- d) The cost estimation is carried out for structural members like column, beam and conventional slab structure. Hence cost estimation is calculated by using standard rates of concrete and steel for each structural member.
- e) The cost comparison will be done to all the 64models and considering the optimized structural model combination from the 64model.

4. EXPERIMENTAL PROGRAM

Experimental investigation is carried out for total 64 models. The analysis and design is carried out respectively to understand the maximum and minimum cost optimization of structural grid floors system such as columns, beams, conventional slab and flat slab.

The study is to determine the minimum cost optimization of flat slab structures like,

- a) The Modal analysis is carried out in equivalent static load analysis.
- b) Design guidance for grid floor structures modal is provided in accordance with Indian Codes of Practice IS: 456: 2000.

Study On Grid Structure Model



Fig 1: Plan view of study model

3-D MODEL

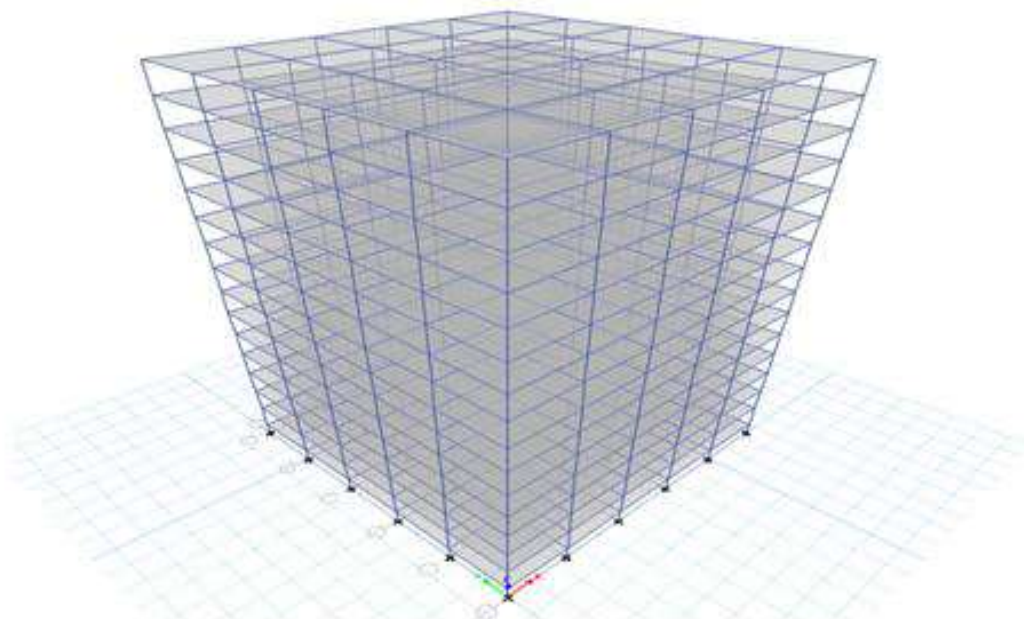


Fig 2: 3D view of study model

4.1 Parameter Used

Table 1: Parameters used for study

Seismic Zone	2
Seismic Zone Factor(Z)	0.1
Importance Factor (I)	1
Response Reduction Factor(R)	3
Soil Type	Medium Soil (Type II)
Height of the building	49.5
Storey to storey Height	3
Column Sizes	0.6 X 0.7 m ² , 0.6 X 0.8 m ² , 0.6 X 0.9 m ² , 0.6 X 1.0 m ²
Beam Sizes	0.3 X 0.4 m ² , 0.3 X 0.5 m ²
Thickness of Slabs and Flat Slab	0.15m, 0.175m, 0.2m, 0.225m.
Drop panel size	3m x 3m
Live Load, Floor Finish	2.0KN/m ² , 1.5KN/m ²
Material Properties	Grade of Concrete (fck) M25, M30, M35, M40 Grade of Steel (fy) Fe500

5. RESULTS AND DISCUSSIONS

Table 2: cost optimization of column

Sl. No	Particulars	model
1	Span	6m x 6m
2	Fck	25
3	Fy	500
4	Size of column	600x700mm
5	Size of beam	300x400mm
6	Depth of slab	150mm
7	Total cost of structure	4351429

Table 2 shows the parameters like grade of concrete, size of beams and depth of the slab are kept constant, and size of column is varied.

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Linear model Poly3:
f(x) = p1*x^3 + p2*x^2 + p3*x + p4
Coefficients:
p1 = -1.44e-11
p2 = 2.686e-05
p3 = -10.92
p4 = 5.266e+06

Goodness of fit:
SSE: 1.041e-17
R-square: 1
    
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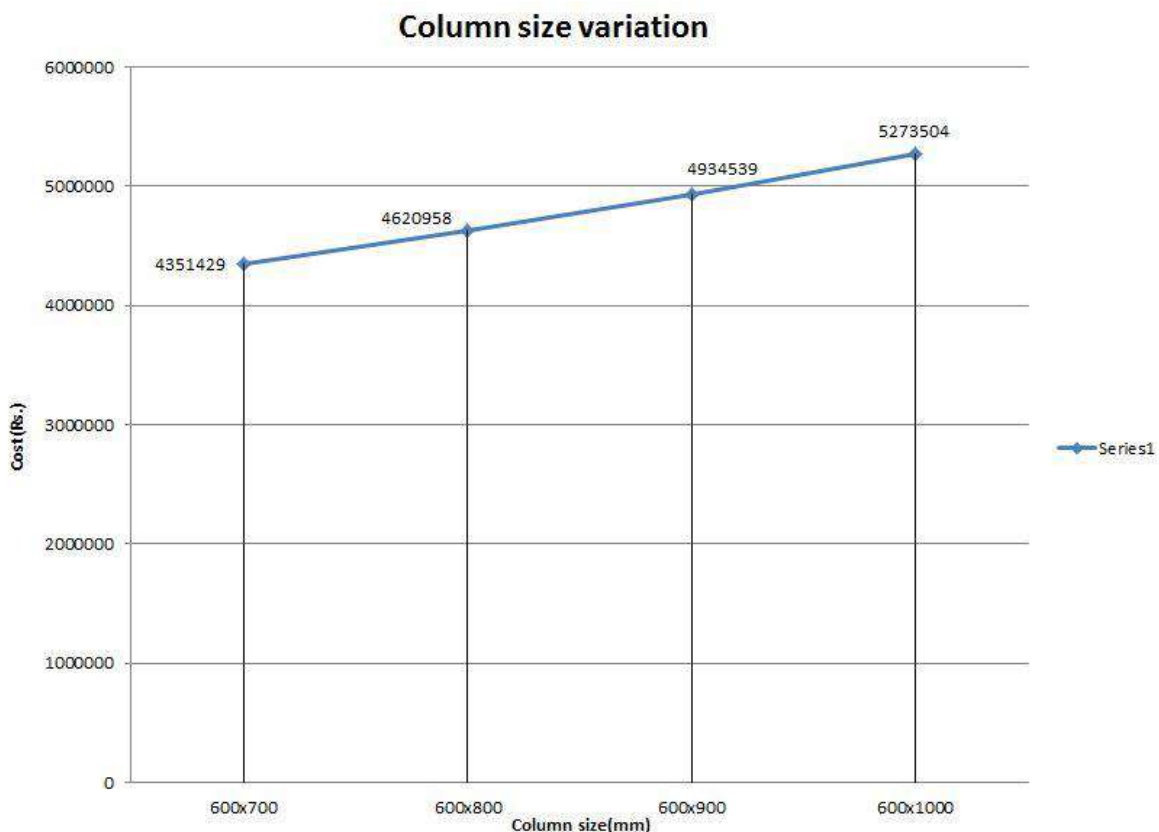


Fig 3: Plot between Column size variation v/s Cost of structure

Figure 3 is a Plot between Column size variation v/s Cost of structure which shows that the relation between cost and variation in column size. For a fixed grade of concrete M25 with 300x400 mm size of beam, slab depth is 200mm and column size is varied from 600x700, 600x800, 600x900 and 600x1000mm. The size of column is fixed from static analysis of the model using ETABS.

It was observed that as the size of the column increases the cost also increases. There is a positive correlation between the two parameters. This is due to increase in size of the column and which can be attributed to the increase in the quantity of concrete.

Table 3: cost optimization of beam

Sl. No	Particulars	model
1	Span	6m x 6m
2	fck	25
3	fy	500
4	Size of column	600x700mm
5	Size of beam	300x550mm
6	Depth of slab	150mm
7	Total cost of structure	3782350

Table 3 shows the parameters like size of column, depth of slab and grade of concrete M25 are kept constant, and size of the beam is varied.

Linear model Poly3:
 $f(x) = p1*x^3 + p2*x^2 + p3*x + p4$
 Coefficients:
 p1 = -6.491e-09
 p2 = 0.003003
 p3 = -469.9
 p4 = 2.871e+07

Goodness of fit:
 SSE: 6.661e-16
 R-square: 1
 Adjusted R-square: NaN

Beam Size variation

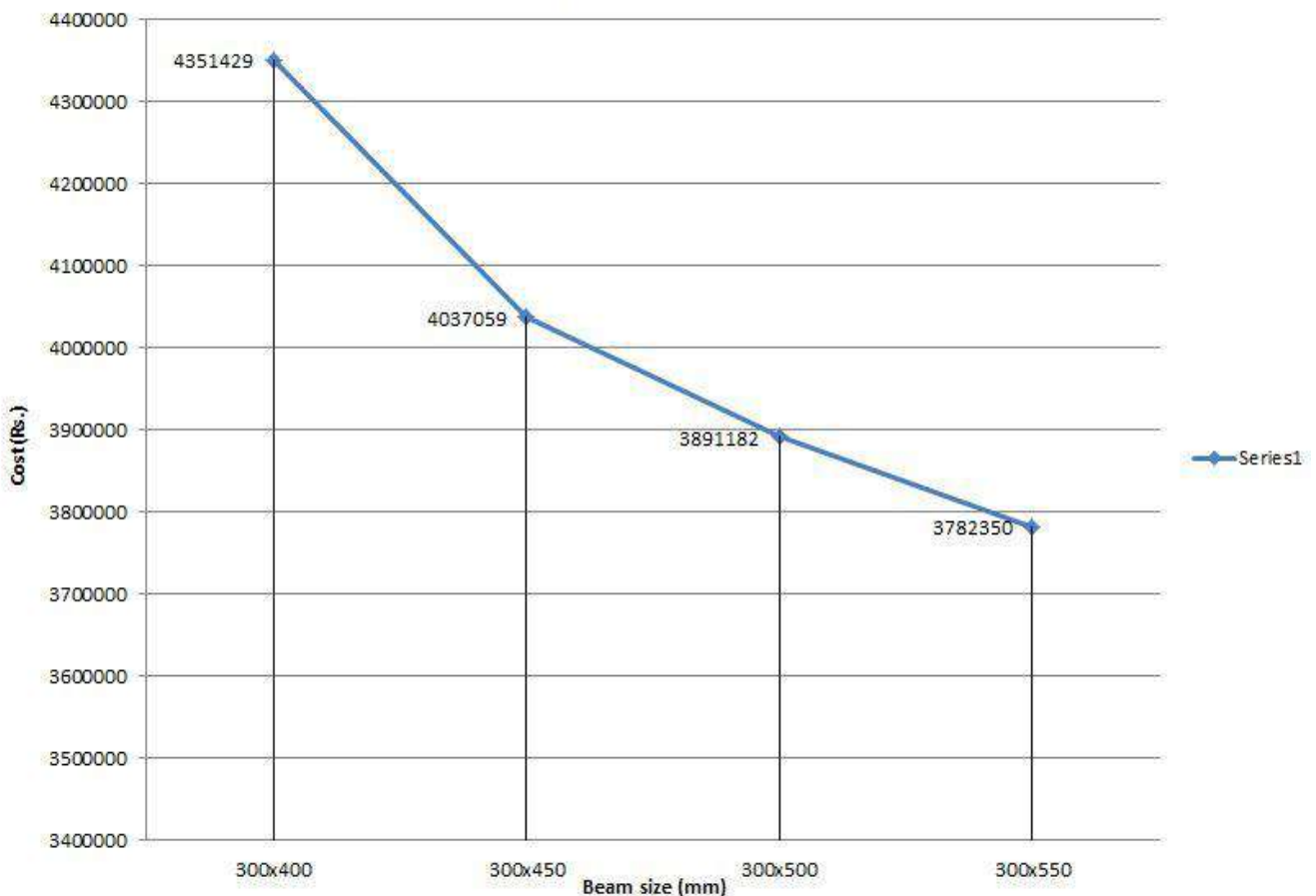


Fig 4: Plot between Beam size variation v/s Cost of the structure

Figure 4 is a Plot between Beam size variation v/s Cost of the structure which shows that the relation between cost and beam area variation. For a fixed grade of concrete of M25 with column size of 600x700 mm and 200 mm constant depth of slab and beam sizes are varied from 300x400, 300x450, 300x500 and 300x550 mm. The size of the beam is fixed from static analysis of the model using ETABS.

It was observed that as the beam size increases for this combination the cost decreases. There is a negative correlation between the two parameters. This is due to decrease in steel area.

Table 5 shows the parameters like size of column, grade of concrete and size of beams are kept constant, and depth of slab is varied.

Table 5: cost optimization of slab

Sl. No	Particulars	model
1	Span	6m x 6m
2	Fck	25
3	Fy	500
4	Size of column	600x700mm
5	Size of beam	300x400mm
6	Depth of slab	150mm
7	Total cost of structure	3943556

Linear model Poly3:

$$f(x) = p1*x^3 + p2*x^2 + p3*x + p4$$

Coefficients:

p1 = 0.08639

p2 = -113.3

p3 = 3.981e+04

p4 = 2.288e+05

Goodness of fit:

SSE: 9.758e-18

R-square: 1

Adjusted R-square: NaN

RMSE: NaN

slab depth variation

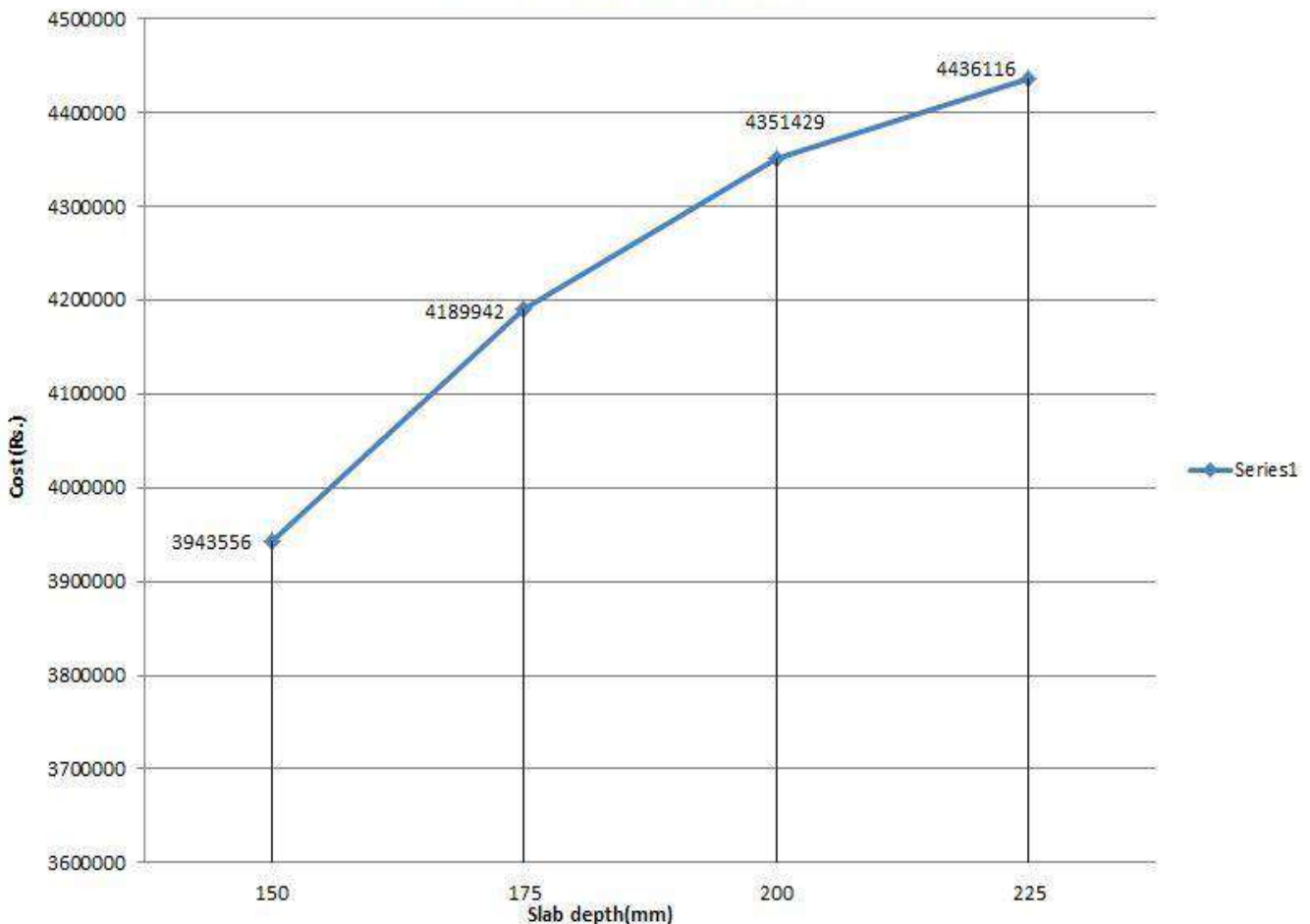


Fig 5: Plot between Slab size variation v/s Cost of structure

Figure 5 is a Plot between Slab size variation v/s Cost of structure which shows that the relation between cost and variation in slabs depth. For a fixed grade of concrete M25 with columns of 600x700 mm and 300x400 mm size of beam and slab depths are varied from 150, 175, 200 and 225 mm. The depth of the slab is fixed from static analysis of the model using ETABS.

It was observed that as the depth of the slab increases the cost also increases. There is a positive correlation between the two parameters. This is due to increase in depth of slab and which can be attributed to the increase in the quantity of concrete.

Table 6: cost optimization of flat slab

Sl. No	Particulars	model
1	Span	6m x 6m
2	Fck	35
3	Fy	500
4	Size of column	600x700mm
5	Size of beam	400x500mm
6	Depth of slab	150mm
7	Total cost of structure	4227405

Table 6 shows the parameters like size of column, grade of concrete and size of beams are kept constant, and parameter depth of slab is varied.

Linear model Poly3:

$$f(x) = p1*x^3 + p2*x^2 + p3*x + p4$$

Coefficients:

$$p1 = 1.797$$

$$p2 = -1010$$

$$p3 = 1.984e+05$$

$$p4 = -9.098e+06$$

Goodness of fit:

$$SSE: 6.523e-16$$

$$R\text{-square: } 1$$

$$\text{Adjusted R-square: NaN}$$

$$RMSE: NaN$$

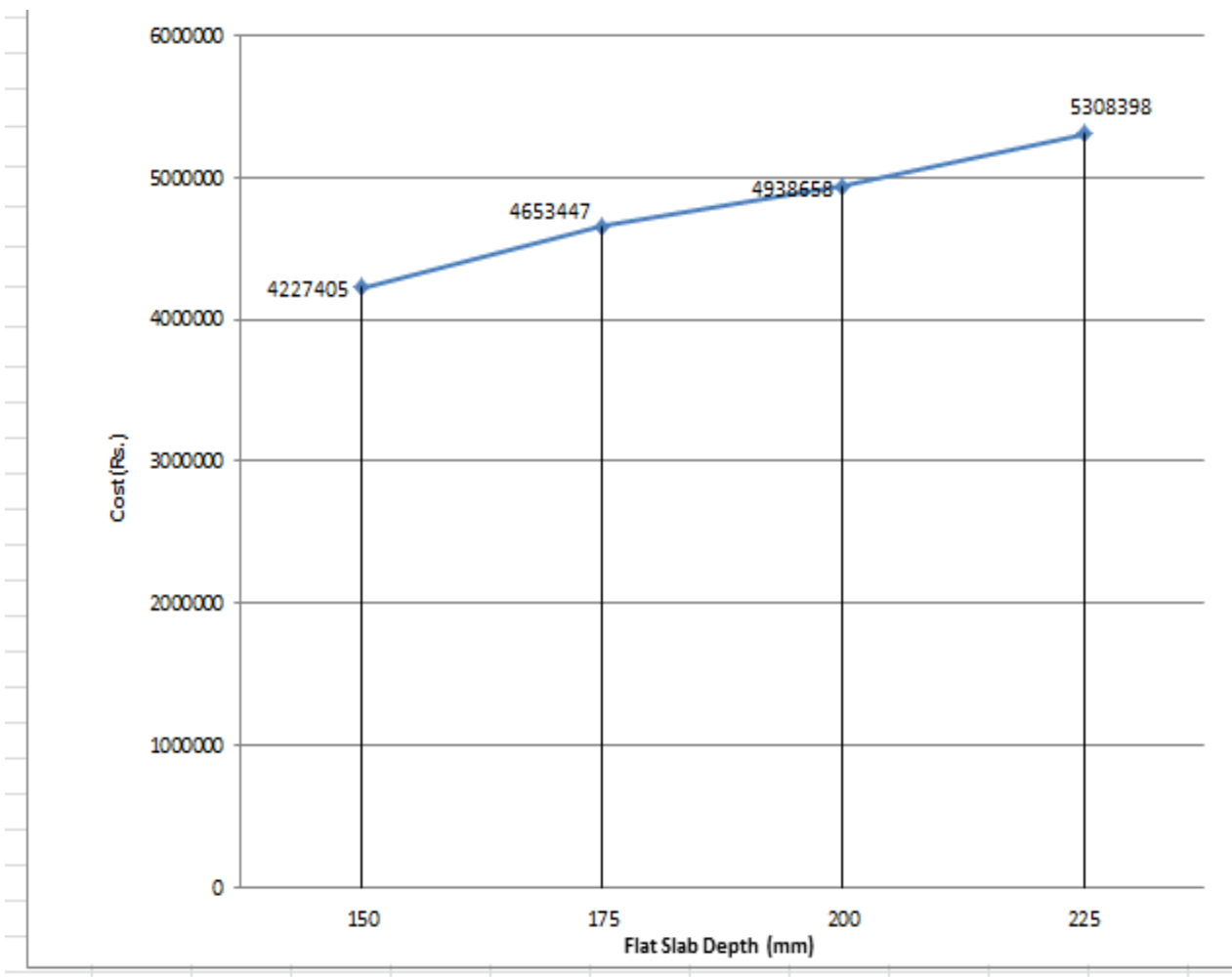


Fig 6: Plot between Slab size variation v/s Cost of structure

Figure 6 is a Plot between Slab size variation v/s Cost of structure which shows that the relation between cost and variation in slabs depth. For a fixed grade of concrete M25 with columns of 600x700 mm and 400x500 mm size of beam and slab depths are varied from 150, 175, 200 and 225 mm. The depth of the slab is fixed from static analysis of the model using ETABS.

It was observed that as the depth of the slab increases the cost also increases. There is a positive correlation between the two parameters. This is due to increase in depth of slab and which can be attributed to the increase in the quantity of concrete

The Final Cost Optimization of Structures

Sl. no	Particulars	model
1	Span	6m x 6m
2	Fck	25
3	Fy	500
4	Size of column	600x700mm
5	Size of beam	300x550mm
6	Depth of slab	150mm
7	Total cost of structure	3222707

Sl. no	Particulars	model
1	Span	6m x 6m
2	Fck	35
3	Fy	500
4	Size of column	600x700mm
5	Size of beam	300x550mm
6	Depth of slab	150mm
7	Total cost of structure	4097551

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7. CONCLUSION

Based on the analysis and design results are obtained in the present investigation of cost optimization in the research work and possible scope of future research work. Dimension of column, beams and slabs are varied. Grades of concrete of M25, M30, M35 and M40 are considered for the study. When one variable like size of the column is varied other variables are kept constant the following conclusions can be drawn.

- Column size of 600 X 700 mm is found to be more economical by keeping all other variables constant. For column size 600 X 700 mm of M25 grade of concrete the cost of the structure was found to be Rs 43,51,429.

- Beam size of 300 X 550 mm is found to be more economical by keeping all other variables constant. For beam size 300 X 550 mm of M25 grade of concrete the cost of the structure was found to be Rs 37,82,350.
- Slab depth of 150 mm is found to be more economical by keeping all other variables constant. For slab of depth 150 mm of M25 grade of concrete the cost of structure was found to be Rs 39,43,556.
- Flat slab depth of 150 mm is found to be more economical by keeping all other variables constant. For slab of depth 150 mm of M35 grade of concrete the cost of structure was found to be Rs 42,27,405.
- Based on the study for column 600 X 700 mm, beam 300 X 550 mm, slab of 150 mm, grade of concrete is M25. The cost of the structure Rs 32,22,707 which is less than all other combination.
- Based on the study for column 600 X 700 mm, beam 400 X 500 mm, flat slab of 150 mm, grade of concrete is M35. The cost of the structure Rs 40,97,551 which is less than all other combination.

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